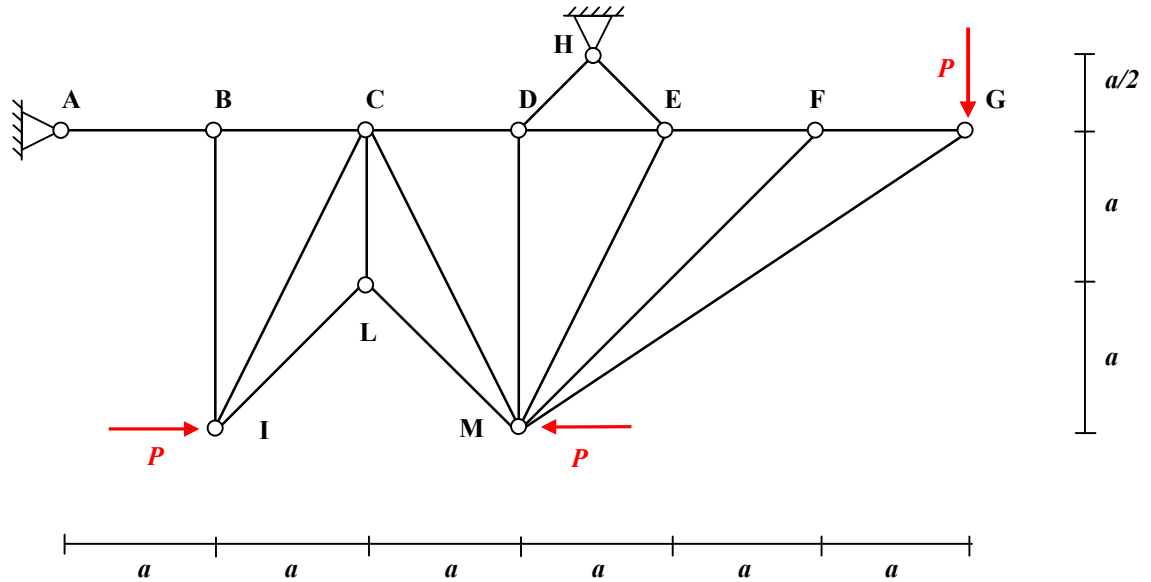
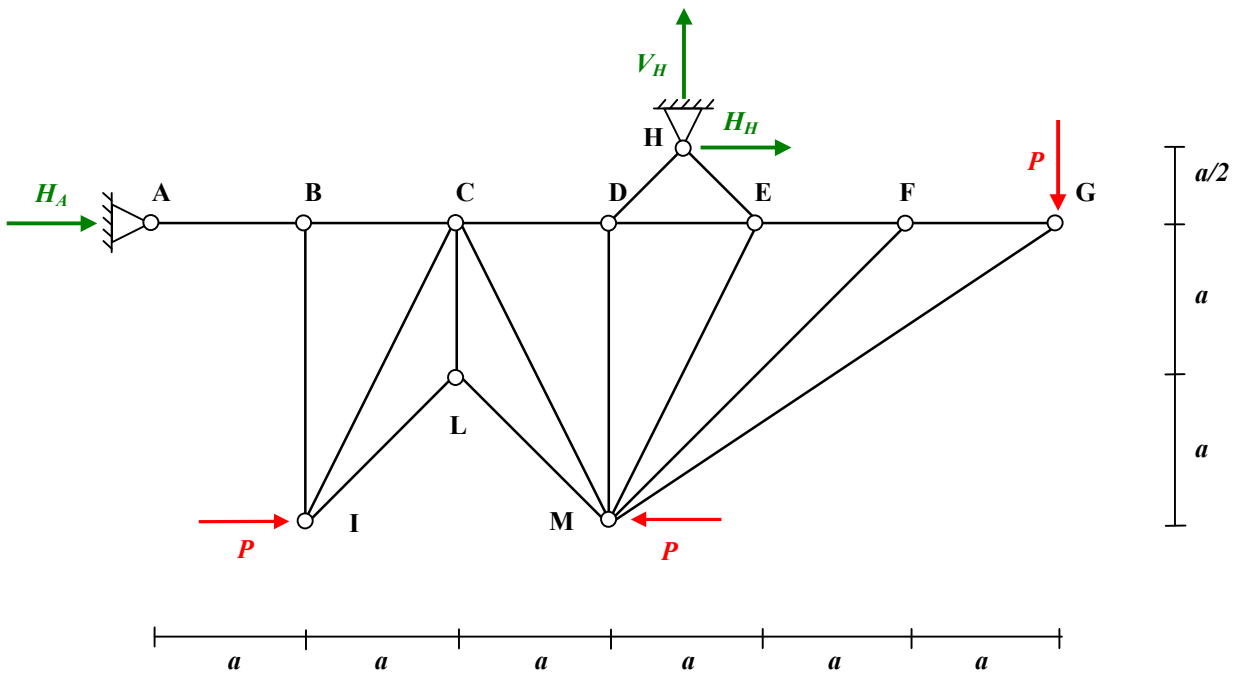


Risolvere la seguente struttura reticolare

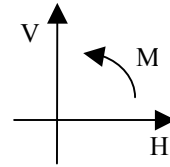


Calcolo delle reazioni vincolari :

Poiché la struttura esternamente è isostatica risolveremo con le equazioni cardinali della statica .

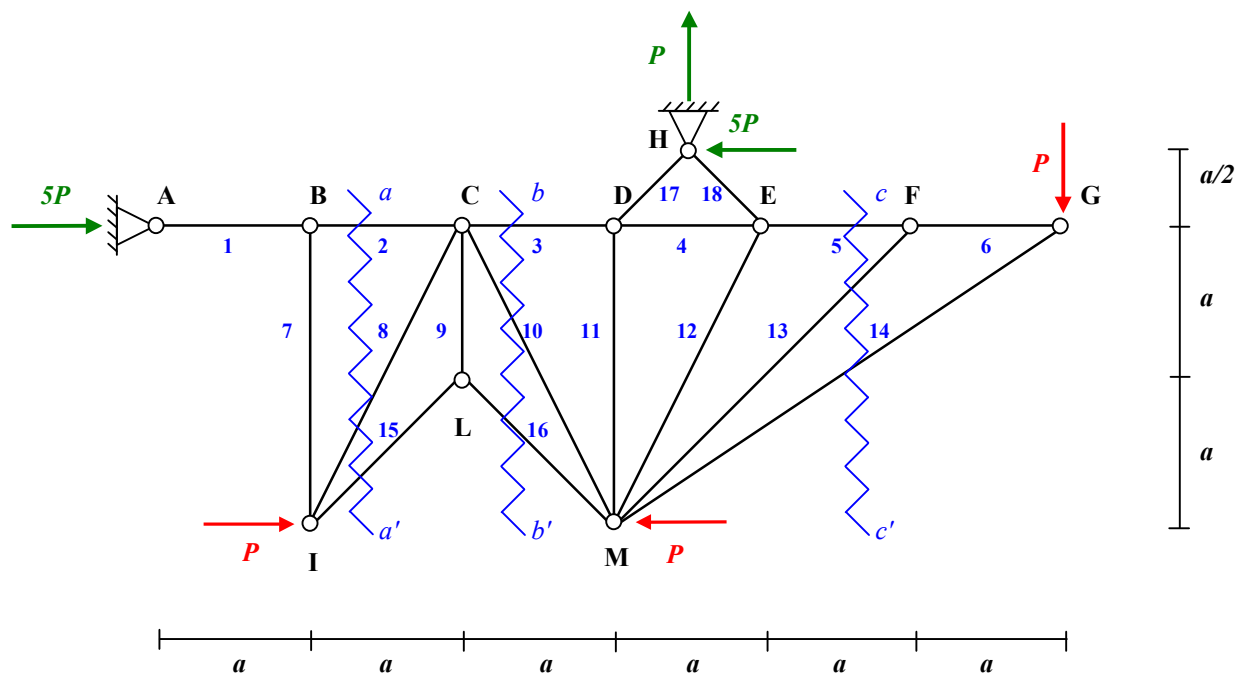


Dalle equazioni cardinali si ha :

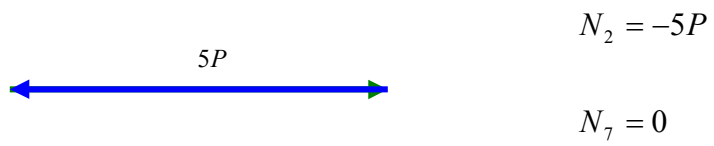


$$\left\{ \begin{array}{l} \sum_H : H_A + H_H = 0 \\ \sum_V : V_H - P = 0 \\ \sum_M (H) : H_A \cdot \frac{1}{2}a - P \cdot \frac{5}{2}a = 0 \end{array} \right. \Rightarrow \left\{ \begin{array}{l} H_H = -5P \\ V_H = P \\ H_A = 5P \end{array} \right.$$

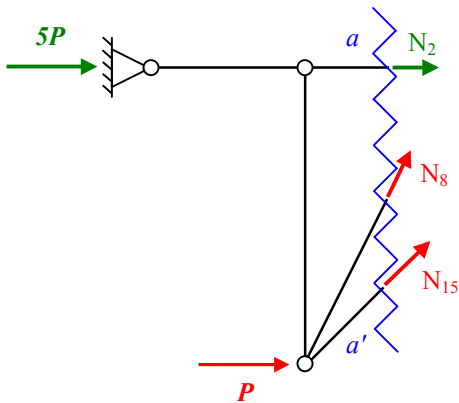
Si ha quindi per il sistema equilibrato :



Calcoliamo le aste 2 e 7 col metodo grafico dell'equilibrio al nodo B :



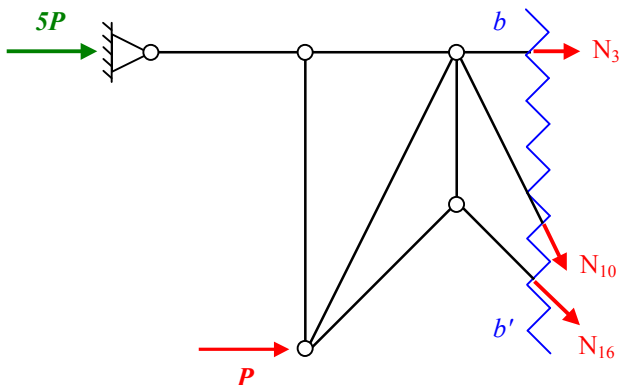
Calcoliamo le aste 8 , 15 col metodo delle sezioni (Ritter) :



$$\sum_M(C): P \cdot 2a + \frac{N_{15}}{\sqrt{2}} \cdot a = 0 \Rightarrow N_{15} = -2\sqrt{2}P$$

$$\sum_M(D): P \cdot 2a - \frac{N_8}{\sqrt{5}} \cdot 2a = 0 \Rightarrow N_8 = \sqrt{5}P$$

Calcoliamo le aste 3 , 10 e 16 col metodo delle sezioni (Ritter) :

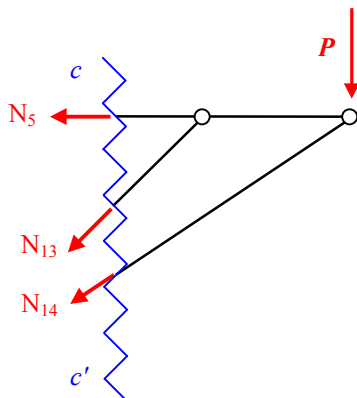


$$\sum_M(L): -5P \cdot 2a - N_3 \cdot 2a = 0 \Rightarrow N_3 = -5P$$

$$\sum_M(B): P \cdot 2a - \frac{2N_{10}}{\sqrt{5}} \cdot a = 0 \Rightarrow N_{10} = \sqrt{5}P$$

$$\sum_M(C): P \cdot 2a + \frac{N_{16}}{\sqrt{2}} \cdot a = 0 \Rightarrow N_{16} = -2\sqrt{2}P$$

Calcoliamo le aste 5 , 13 e 14 col metodo delle sezioni (Ritter) :

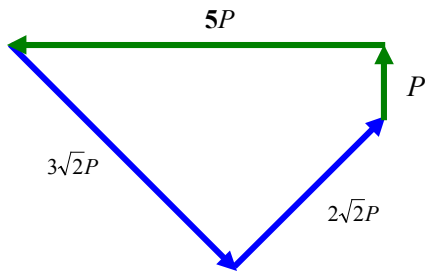


$$\sum_M(M): N_5 \cdot 2a - P \cdot 3a = 0 \Rightarrow N_5 = \frac{3}{2}P$$

$$\sum_M(G): \frac{N_{13}}{\sqrt{2}} \cdot a = 0 \Rightarrow N_{13} = 0$$

$$\sum_M(F): -P \cdot a - \frac{2N_{14}}{\sqrt{13}} \cdot a = 0 \Rightarrow N_{14} = -\frac{\sqrt{13}}{2}P$$

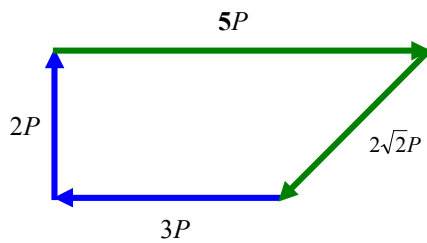
Calcoliamo le aste 17 e 18 col metodo grafico dell'equilibrio al nodo H :



$$N_{17} = -2\sqrt{2}P$$

$$N_{18} = 3\sqrt{2}P$$

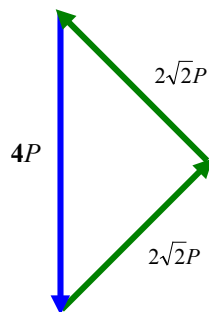
Calcoliamo le aste 4 e 11 col metodo grafico dell'equilibrio al nodo D :



$$N_4 = -3P$$

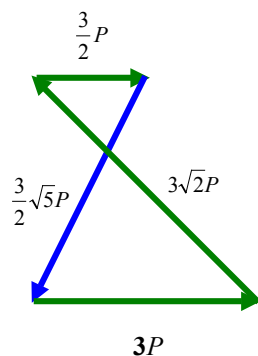
$$N_{11} = 2P$$

Calcoliamo l'asta 9 col metodo grafico dell'equilibrio al nodo L :



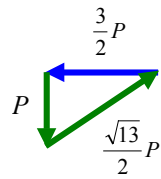
$$N_9 = -4P$$

Calcoliamo l'asta 12 col metodo grafico dell'equilibrio al nodo E :



$$N_{12} = \frac{3}{2}\sqrt{5}P$$

Calcoliamo infine l'asta 6 col metodo grafico dell'equilibrio al nodo G :



$$N_6 = \frac{3}{2}P$$

Riassumendo i valori ottenuti per le singole aste :

ASTE	TIRANTE	PUNTORE
<b>1</b>		$5P$
<b>2</b>		$5P$
<b>3</b>		$5P$
<b>4</b>		$3P$
<b>5</b>	$\frac{3}{2}P$	
<b>6</b>	$\frac{3}{2}P$	
<b>7</b>	/	/
<b>8</b>	$\sqrt{5}P$	
<b>9</b>	/	$4P$
<b>10</b>	$\sqrt{5}P$	
<b>11</b>	$2P$	
<b>12</b>	$\frac{3}{2}\sqrt{5}P$	
<b>13</b>	/	/
<b>14</b>		$\frac{\sqrt{13}}{2}P$
<b>15</b>		$2\sqrt{2}P$
<b>16</b>		$2\sqrt{2}P$
<b>17</b>		$2\sqrt{2}P$
<b>18</b>	$3\sqrt{2}P$	